



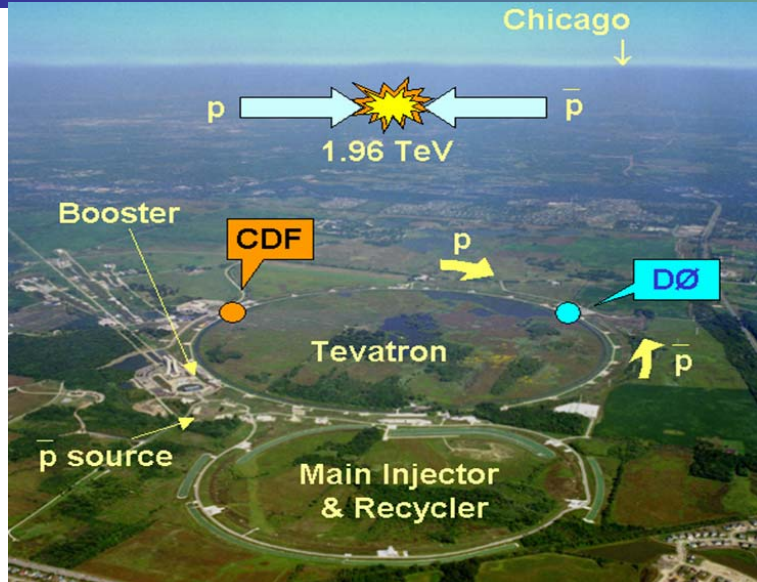
B hadron decays and resonances at DØ

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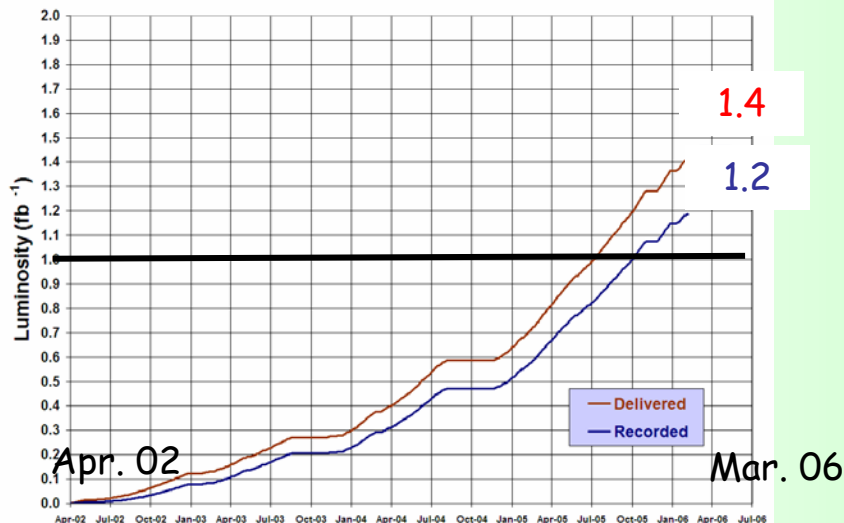
On behalf of the DØ Collaboration

Tevatron



Run II Integrated Luminosity

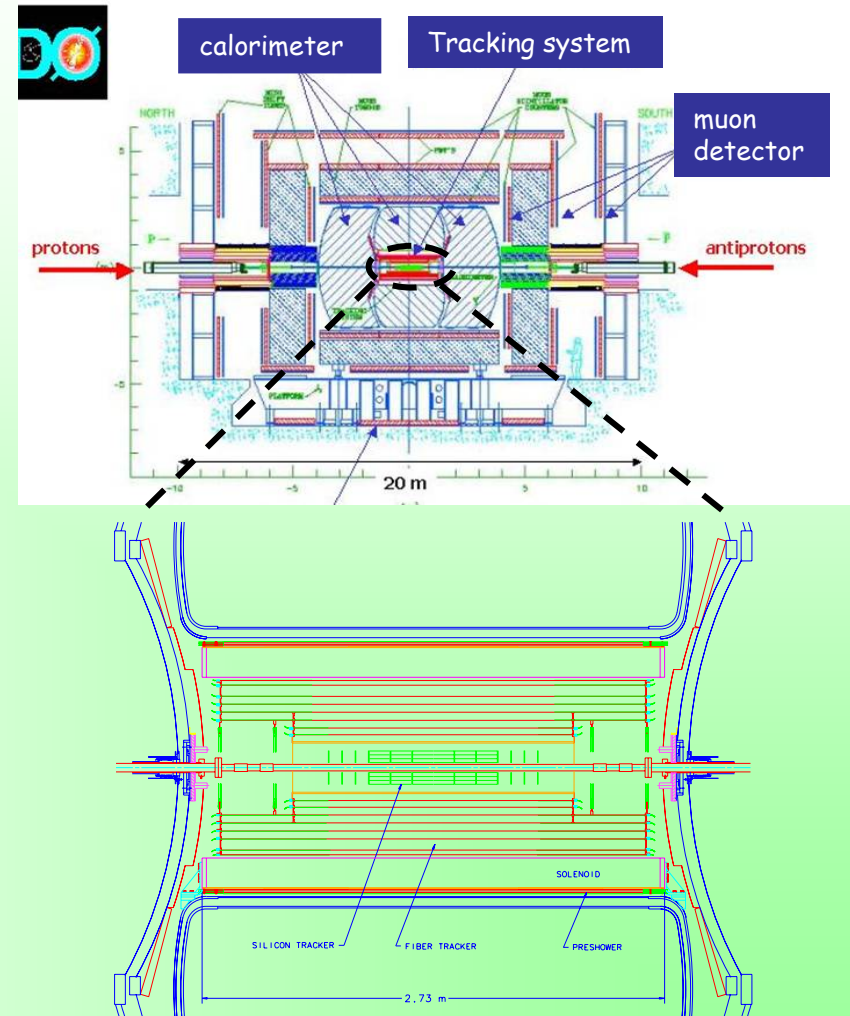
19 April 2002 - 22 February 2006



- Excellent performance of Tevatron in 2004 and 2005
- Highest luminosity delivered in DØ (January 06) : $1.6 \cdot 10^{-32} \text{ cm}^{-2} \text{ s}^{-1}$
- Machine delivered more than 1.4 fb^{-1}
- **Recorded luminosity in DØ: 1.2 fb^{-1}**
- High data taking efficiency $\sim 85\%$
- **Current datasets analyzed : up to 1 fb^{-1}** (to be compared with $\sim 100 \text{ pb}^{-1}$ for Run I)
- With $2\text{-}3 \cdot 10^{-32} \text{ cm}^{-2} \text{ s}^{-1}$ expected
 - 2 fb^{-1} until 2006
 - $4\text{-}8 \text{ fb}^{-1}$ until 2009

The DØ detector

- **Multipurpose detector** dedicated to proton-antiproton collision @ 1.96 TeV
- **Muon detector** (central+forward) with good coverage ($|\eta| < 2$). Single and dimuon robust triggers used in B physics analysis.
- **Silicon and fiber tracker** in 2T solenoid with coverage up to $|\eta| = 3$.
 $\sigma(\text{DCA}) = 16\mu\text{m}$ @ $P_T = 10\text{ GeV}$
innermost layer silicon detector being installed for RunIIb
- **Calorimeter** (EM+hadronic) used for electron flavor tagging.



B physics



- Large X-section ($>10^4$ times larger than B-factories)
- All B species produced ($B^\pm, B_d, B_c, B_s, \Lambda_b, \dots$)



Inelastic QCD background very important requiring efficient trigger and reliable tracking and vertexing

Large variety:

Production properties ($\sigma(b)$, $\sigma(J/\psi)$...

B branching ratios

Lifetimes ($\Delta\Gamma$, B^\pm , B_d , B_c , B_s , ...)

Spectroscopy (B^* , B^{**})

Mass measurements ($B_c, \Lambda_b, B_s, \dots$)

Mixing (B_d , B_s)

Rare decay searches ($B \rightarrow \mu\mu / \mu\mu\Phi$)

New particles $X(3872)$, pentaquarks

New physics ?

Focus on spectroscopy, rare decays and lifetime new results (mainly with 1 fb^{-1} and B_s mesons).

B mesons spectroscopy (1)

Naming convention and motivation:

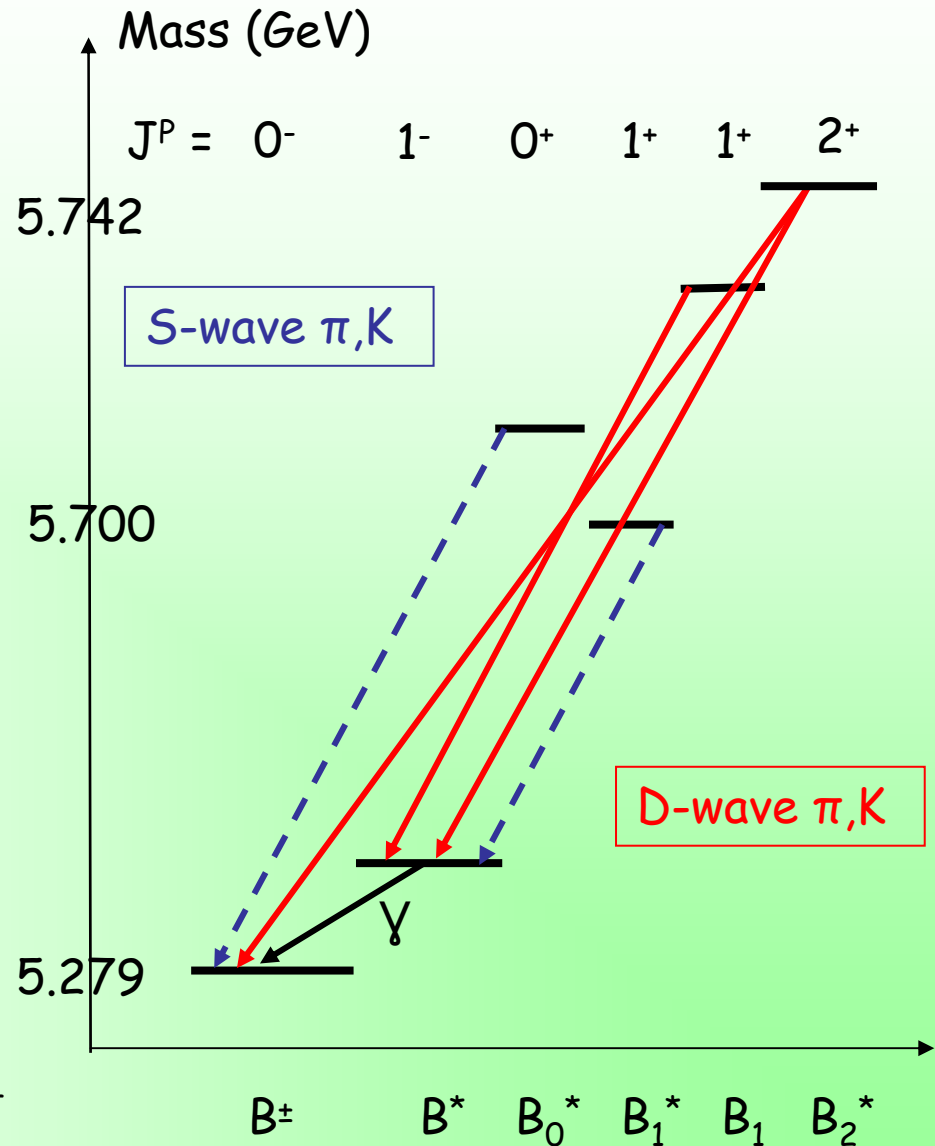
- (bd) quark system : $B_J = B_d^{**} = \{ B_1, B_2^* \}$
(bs) quark system : $B_{sJ} = B_s^{**} = \{ B_{s1}, B_{s2}^* \}$
 - Spectroscopy of B mesons is not well studied
 - All previous results of the narrow $L=1$ states B_1 and B_2^* have been indirect and performed with low statistics and/or limited precision.
 - Masses, widths and decay branching fractions of these states can be compared with theory (chiral quark model: hep-ph/01042208).
- measure precisely the masses and production rates of B_J mesons, observe and measure mass of B_{sJ} state.

B mesons spectroscopy (2)

- Good qualitative understanding of B_0^* , B_1^* , B_1 and B_2^* . B_0^* and B_1^* decay through S-wave but large decay width \rightarrow difficult to distinguish from phase space.
 - B_1 and B_2^* decay through D-wave and should be narrow (~ 10 MeV)
- \rightarrow search for B_J states decaying to $B^{(*)}\pi$ with exclusively reconstructed B mesons:
- $B_1 \rightarrow B^{*+} \pi^-$ (100%)
 - $B_2^* \rightarrow B^+ \pi^-$ (50%)
 - $\rightarrow B^{*+} \pi^-$ (50%)
 - $\rightarrow B^+ \gamma$ (release of an undetected photon of 45.78 ± 0.35 MeV)

For B_{sJ} : $B_{sJ} \rightarrow B^{(*)} K^-$

In both case, $B^+ \rightarrow J/\psi K^+ \rightarrow \mu^+ \mu^- K^+$



Analysis of B_J states: Reconstruction/Selection

Search for narrow states
decaying to $B^+ \rightarrow J/\Psi K^+$
with $J/\Psi \rightarrow \mu^+ \mu^-$

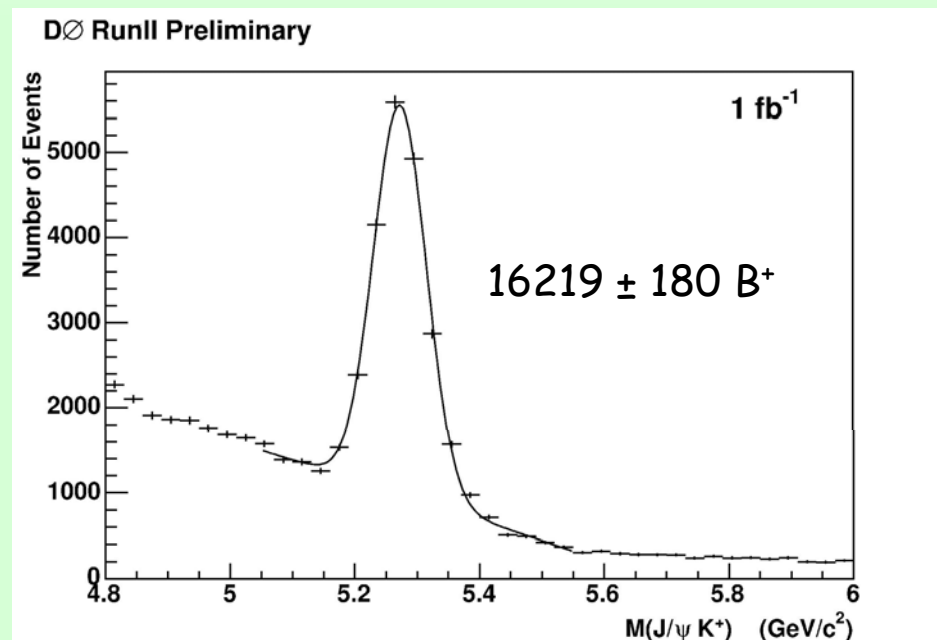
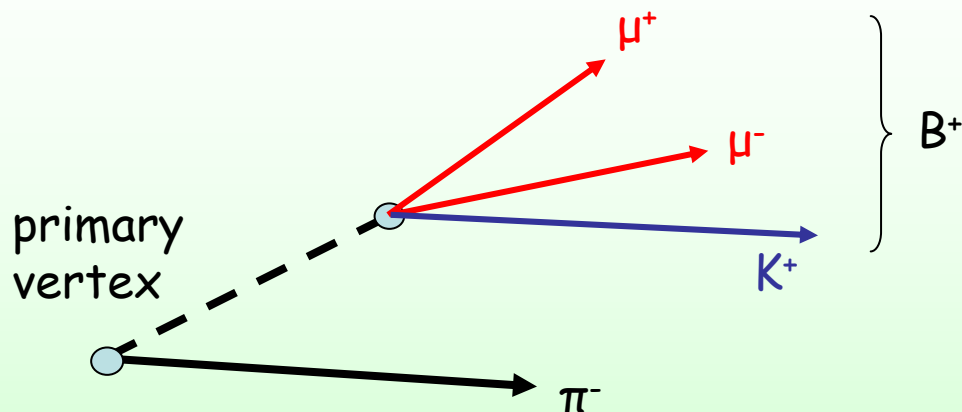
B^+ selection:

Good B^+ vertex + kinematical
cuts + likelihood ratio method

B_J selection:

For each B hadron, an
additional track with

- $P_T > 0.75 \text{ GeV}$
- Correct charge correlation
($B^+ \pi^-$ or $B^- \pi^+$)
- Since B_J decays immediately
after production track was
required to originate from
primary vertex.



Analysis of B_J states: ΔM results

The distribution of the mass difference $\Delta M = M(B^+\pi^-) - M(B^+)$ can be interpreted in terms of B_J transitions.

- Fitting with

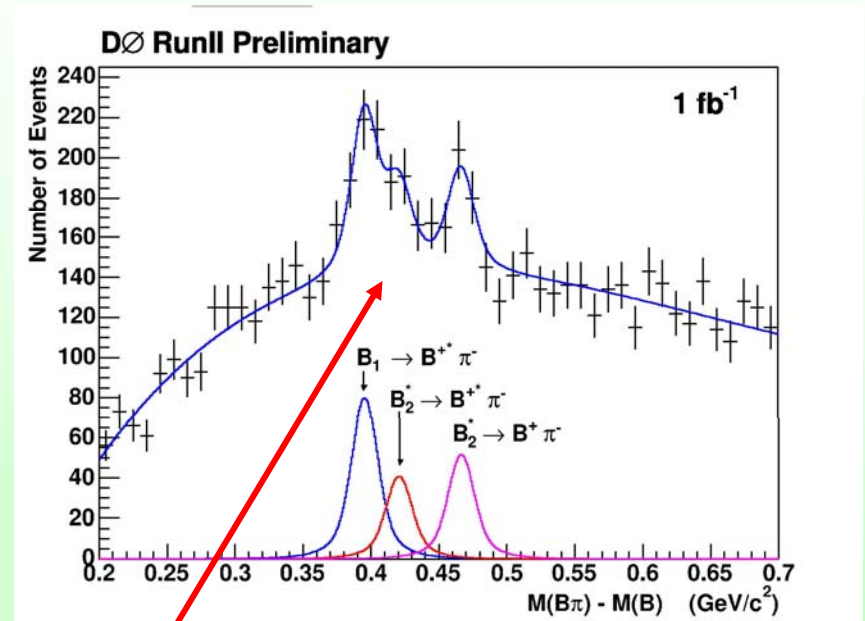
$$N \{ f_1 G(\Delta M, E_1, \Gamma_1) + (1-f_1)f_2 G(\Delta M, E_2, \Gamma_2) + (1-f_1)(1-f_2) G(\Delta M, E_3, \Gamma_2) \} + F_{\text{bkg}}(\Delta M)$$

With

G : Convolution of a relativistic Breit-Wigner function with the experimental resolution on ΔM .

Γ : mass width of the state (models predict $\Gamma_1 \sim \Gamma_2 \rightarrow \Gamma_1 = \Gamma_2$ in the fit),
 E energy of the transition (ΔM)

f_1 : fraction of B_1 contained in the B_J sample, f_2 is the fraction of $B_2^* \rightarrow B^*\pi$ decay in B_2^* signal.



3 peak structure

Analysis of B_J states: final results

The B_1 and B_2^* are observed for the first time as two separate objects. Their masses and their average width were measured to be:

$$M(B_1) = 5720.8 \pm 2.5 \text{ (stat)} \pm 5.3 \text{ (sys)} \text{ MeV}$$

$$M(B_2^*) - M(B_1) = 25.2 \pm 3.0 \text{ (stat)} \pm 1.1 \text{ (sys)} \text{ MeV}$$

$$\Gamma(B_1) = \Gamma(B_2^*) = 6.6 \pm 5.3 \text{ (stat)} \pm 4.2 \text{ (sys)} \text{ MeV}$$

The branching ratio of B_2^* to the excited state B^* was measured as:

$$\text{Br}(B_2^* \rightarrow B^* \pi) / \text{Br}(B_2^* \rightarrow B^{(*)} \pi) = 0.513 \pm 0.092 \text{ (stat)} \pm 0.115 \text{ (sys)}$$

The fraction of the B_J sample in the state B_1 was measured as:

$$\text{Br}(B_1 \rightarrow B^* \pi) / \text{Br}(B_J \rightarrow B^{(*)} \pi) = 0.545 \pm 0.064 \text{ (stat)} \pm 0.071 \text{ (sys)}$$

The B_J production rate is measured as a fraction of B^+ rate:

$$\text{Br}(b \rightarrow B_J^0 \rightarrow B \pi) / \text{Br}(b \rightarrow B^+) = 0.165 \pm 0.024 \text{ (stat)} \pm 0.028 \text{ (sys)}$$

Analysis of B_{sJ} states: B_{s2}^*

- Similar to B^{**} , chiral quark models predicts 2 wide (B_{s0}^* and B_{s1}^*) and 2 narrow (B_{s1} and B_{s2}^*) bound P-states in (bs) system.
- Due to isospin conservation, the decay to $B_s\pi$ is highly suppressed.
- Search for excited state decaying to B^+K^-

- Very **similar** to previous B_J search:

For each B hadron, an additional track:

$P_T > 0.6 \text{ GeV}$

Charge opposite to charge of B^+

Track originate from primary vertex

Kaon mass assigned to the track

Analysis of B_{sJ} state : Results

Mass difference

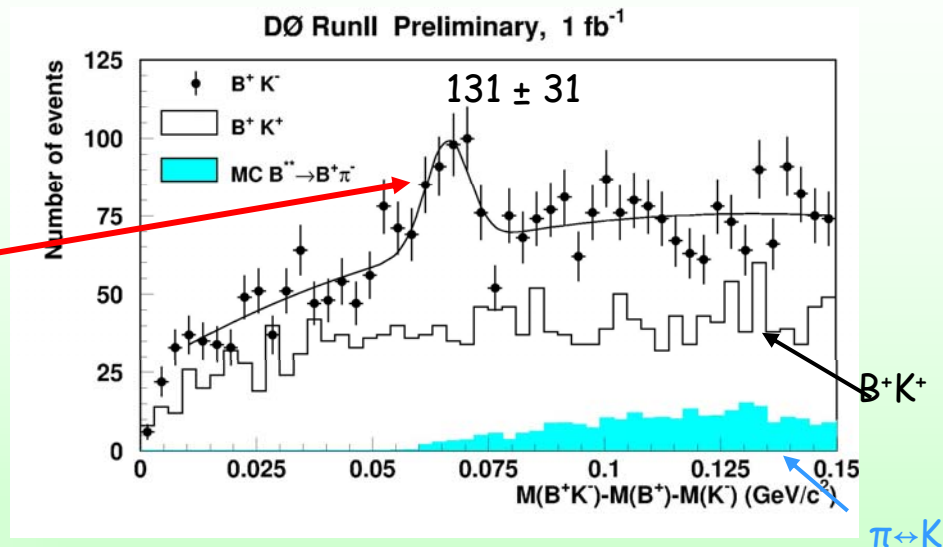
$$\Delta M = M(B^+K^-) - M(B^+) - M(K^-)$$

Significance of signal > 5

First direct observation of B_{s2}^*

Wrong charge sign correlations
show no evidence of a peak

MC B_J decaying to $B^{(*)}\pi$ but
reconstructed as B^+K^- show no
evidence of a peak



$$M(B_{s2}^*) = 5839.1 \pm 1.4(\text{stat}) \pm 1.5(\text{sys}) \text{ MeV}$$

The observed peak in the $B^+\pi^-$ distribution is interpreted as the decay:

$$B_{s2}^* \rightarrow B^+K^- \quad M(BK) - M(B) = 66.4 \text{ MeV}$$

Note: $B_{s2}^* \rightarrow B^{*+}K^-$ decay predicted by theory would produce a signal at ~ 20 MeV strongly suppressed (small mass difference + suppression factor due to $L=2$). Absence of B_{s1} meson in ΔM : Theory predicts $M(B_2^*) - M(B_1) \approx 25.2$ MeV $\rightarrow B_{s1}$ decaying to $B^{*+}K^-$ is forbidden since $M(B_{s1}) < M(B^{*+}) + M(K^-)$

Searches for rare B_s decay

The decay $B_s \rightarrow \mu^+\mu^-$ is a FCNC process \rightarrow forbidden in SM at tree level and proceeds through very low rate in higher order diagrams.

Ex: $\text{Br}_{\text{SM}}(B_s \rightarrow e^+e^-) = (8.15 \pm 1.29) \cdot 10^{-14}$

$\text{Br}_{\text{SM}}(B_s \rightarrow \mu^+\mu^-) = (3.42 \pm 0.54) \cdot 10^{-9}$

\rightarrow a signal would indicate new physics (SUSY, MSSM, etc...)

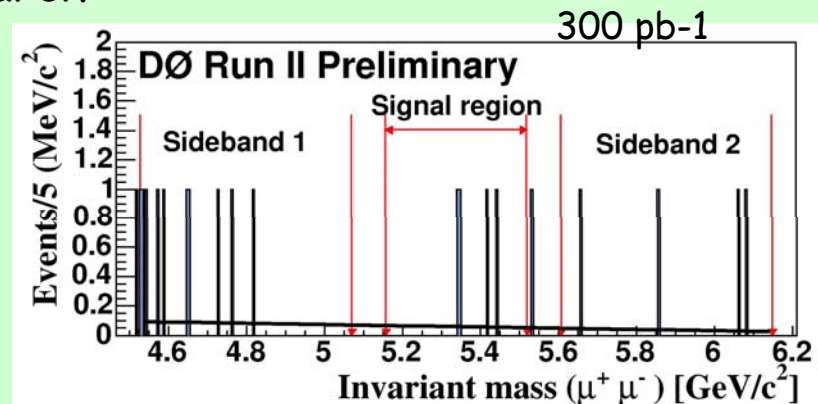
- "Blind" analysis with **300+400 pb⁻¹** (secondary 3D-vertex built from two opposite charged tracks + discriminating variables (isolation of B_s , trans. decay length significance,...))
- Signal was optimized with random grid search
- **4.3 \pm 1.2 expected background events** (for 300 pb⁻¹)

and **4** events found after selection

Calculate Br using the $B^+ \rightarrow J/\psi K^+$ as normalisation channel

$\rightarrow \text{Br}(B_s \rightarrow \mu^+\mu^-) \leq 2.3(1.9) \cdot 10^{-7}$ at 95(90)% CL
for 700 pb⁻¹

Another channel : $\text{Br}(B_s \rightarrow \mu^+\mu^- \Phi) \leq 4.1(3.2) \cdot 10^{-6}$ at 95(90)% CL
(assuming $\text{Br}(B_s \rightarrow J/\psi \Phi) = 5.88 \pm 0.1 \%$) for 300 pb⁻¹



B_s Lifetime

In the SM, the mass eigenstates of B_s mesons (B_s^H and B_s^L) are linear combinations of flavor eigenstates ($|B_s^0\rangle$ and $|\bar{B}_s^0\rangle$):

$$|B_s^H\rangle = p |B_s^0\rangle - q |\bar{B}_s^0\rangle, \quad |B_s^L\rangle = p |B_s^0\rangle + q |\bar{B}_s^0\rangle, \quad p^2 + q^2 = 1$$

and approximately CP eigenstates.

Def: $\Delta m = m_H - m_L$, $\Delta\Gamma = \Gamma_L - \Gamma_H$, $\Gamma = (\Gamma_L + \Gamma_H)/2$

B_s mesons are produced in an equal mixture of B_s^H and B_s^L and its decay length is described by:

$$\exp(-\Gamma_H t) + \exp(-\Gamma_L t) \text{ with } \Gamma_{L,H} = \Gamma \pm \Delta\Gamma/2$$

instead of $\exp(-\Gamma t)$ (assuming a single lifetime)

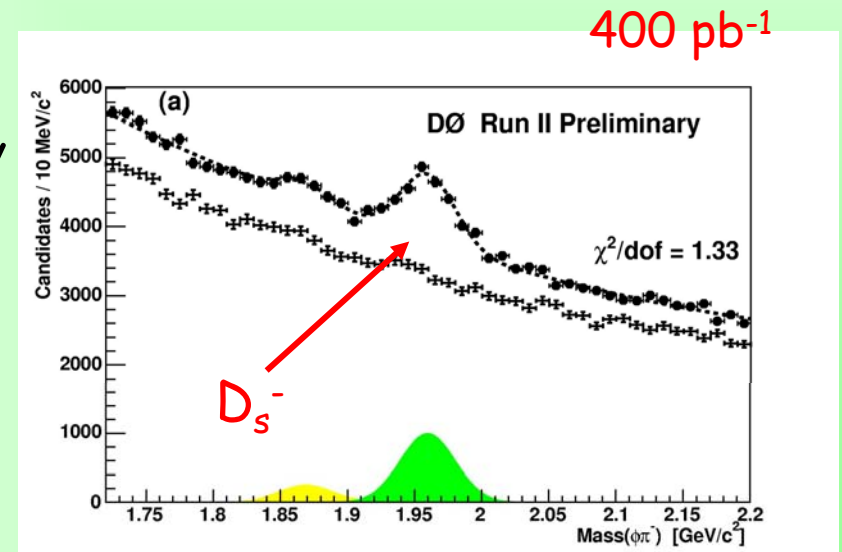
Analysis:

Reconstruction of semileptonic decay

$$B_s \rightarrow D_s^- \mu^+ \nu, \quad D_s^- \rightarrow \Phi \pi^-, \quad \Phi \rightarrow K^+ K^-$$

Good D_s vertex

+ kinematical cuts (P_T , mass, helicity angle) required



B_s Lifetime

- Combinatorial (from sideband D_s signal sample) + non-combinatorial (physical processes) background
- The **pseudo-proper decay length** is defined as:

$$\text{PPDL} = L_{xy} m(B_s) / P_T(D_s^- \mu^+) \\ = c\tau / K$$

K correction factor = $P_T(D_s^- \mu^+) / P_T(B_s)$
(accounts for V/non-rec. charged particles)

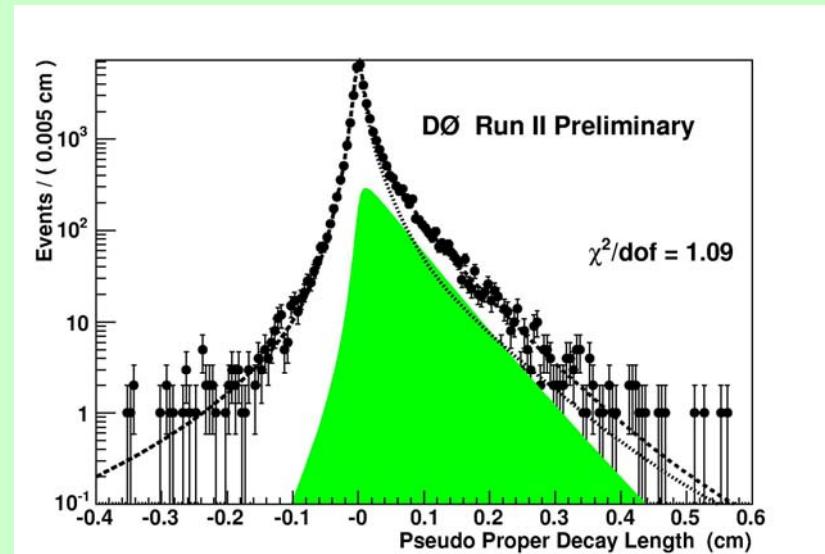
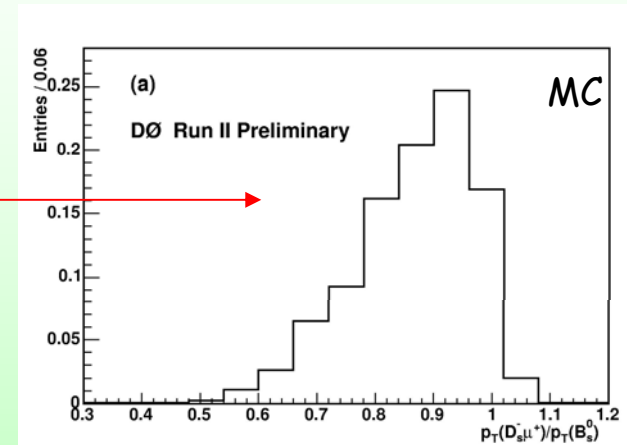
- The PPDL distribution is fitted using an **unbinned maximum likelihood method** (assuming single lifetime), 10 free parameters ($c\tau$, bkg description, scale factors)

$\text{PDF}_{\text{signal}} = \text{decay exp.} \otimes \text{Gaussian res.}$
+ smearing with K factor

$\text{PDF}_{\text{bkg}} = \text{sum of bkg lifetime component}$
 $\otimes \text{Gaussian res}$

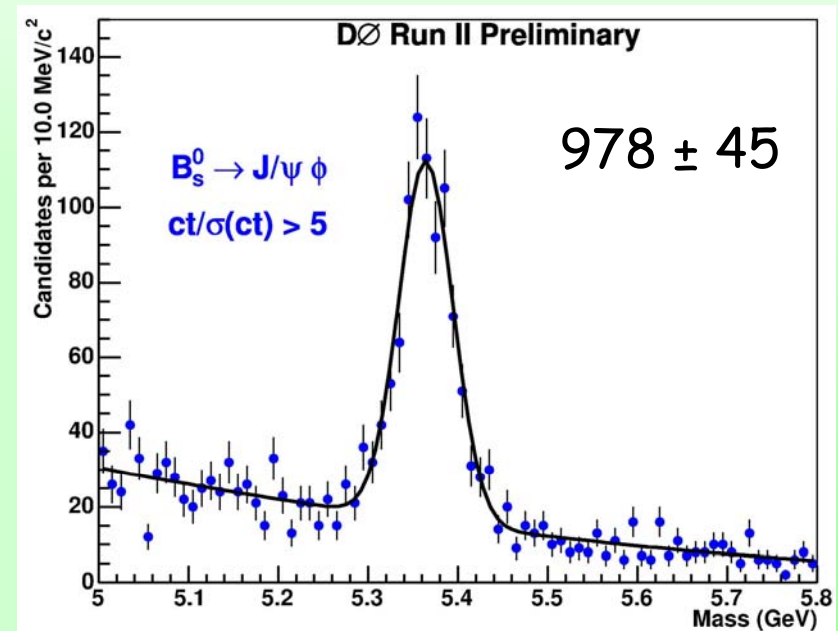
$$\tau(B_s^0) = 1.420 \pm 0.043(\text{stat}) \pm 0.057(\text{sys}) \text{ ps}$$

400 pb^{-1}



Analysis of $\Delta\Gamma$ (1)

- Study of the decay chain $B_s^0 \rightarrow J/\psi \Phi$, $J/\psi \rightarrow \mu^+\mu^-$, $\Phi \rightarrow K^+K^-$ giving rise to both $CP = +1$ and $CP = -1$ final states
→ possibility to separate the 2 CP components and measure $\Delta\Gamma$ through simultaneous study of time evolution and angular decay products of J/ψ and Φ .
- Analysis : selection and reconstruction of 0.8 fb^{-1}
- A simultaneous unbinned maximum likelihood fit to the B_s^0 candidate mass, PDL, and 3 decay angles describing the angular distribution of both J/ψ and Φ final states in transversity basis.



Analysis of $\Delta\Gamma$ (2)

- Preliminary results (with 0.8 fb^{-1})

In the limit of NO CP violation:

$$\Delta\Gamma = 0.15 \pm 0.10 \pm {}^{0.03}_{0.04} \text{ ps}^{-1}$$

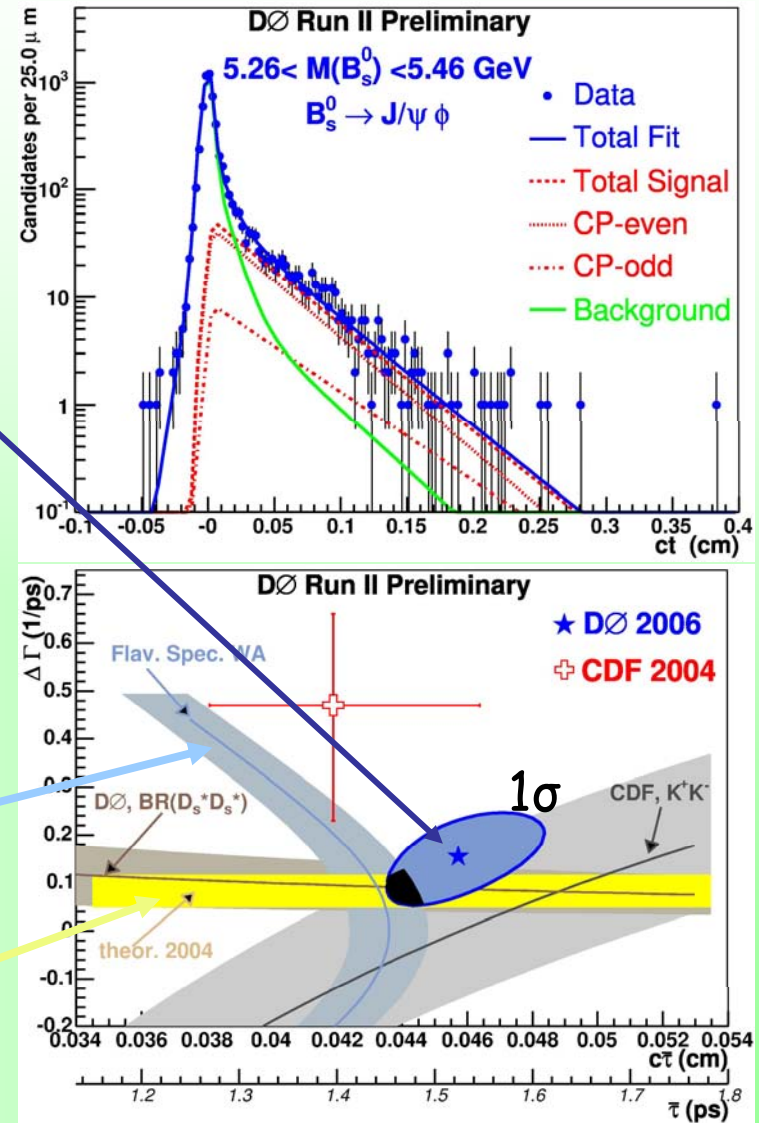
$$\tau(B_s) = 1.53 \pm 0.08 \pm {}^{0.01}_{0.04} \text{ ps}$$

$$= 1.450 \pm 0.058 \text{ ps} \quad (\Delta\Gamma = 0)$$

CP violating interference term is consistent with NO CP violation in the (B_s^0, \bar{B}_s^0) system. (statistical precision of the estimate of CP violating angle $\delta\Phi = -0.9 \pm 0.7$)

World average based on flavor specific decays
consistent with SM

theory



Conclusion

- B physics = large possibility of new measurements
- First results with 1 fb^{-1} in D0, very impressive
- Future is a gold mine for B physics

Back up slides

B_J and B_{sJ} : Theoretical predictions

	Eichten, Hill, Quigg FERMILAB- CONF-94/118-T	Di Pierro, Eichten Hep- ph/0104208	Ebert, Galkin Phys. Rev. D57, 5663, 1998	Orsland, Hogaasen, Eur. Phys. J. C9, 503,1999
$M(B_1)$ MeV	5759	5714	5719	5623
$M(B_2^*)$ MeV	5771	5742	5733	5637
$M(B_{s1})$ MeV	5849	5820	5831	5718
$M(B_{s2}^*)$ MeV	5861	5842	5844	5732

HQET

Relativistic quark model

MIT bag
model

B_J states: B^+ selection in detail

- B^+ reconstructed in the exclusive decay $B^+ \rightarrow J/\psi K^+$, $J/\psi \rightarrow \mu\mu$:

Muons identified with standard muon identification tools

$P_t(\mu) > 1.5 \text{ GeV}$

Two muons should form a common vertex with mass > 2.8 and $< 3.35 \text{ GeV}$

Additional charged track with $P_t > 0.5 \text{ GeV}$ with kaon mass assignment

Good common vertex with the 2 muons (chisquare cut) displaced ($L/\sigma(L) > 3$) w.r.t PV

Then B^+ is reconstructed from these 3 particles.

The reconstructed track associated to the B^+ should originate from the PV with a significance maxi cut.

Final B^+ selection is performed through a **likelihood ratio method** combining the following discriminating variables:

Transverse momentum of the K

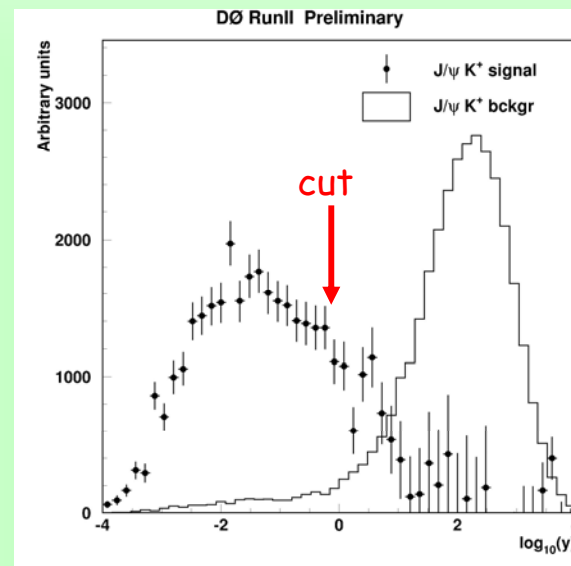
Minimal transverse momentum of the 2 muons

χ^2 of the B^+ decay vertex

B^+ decay length divided by its error

Significance of the B^+

Significance of the Kaon w.r.t the PV



B_J states: fitting detail

Following this expected pattern, the experimental distribution was fitted by the following function:

$$\begin{aligned} F(\Delta M) &= F_{sig}(\Delta M) + F_{back}(\Delta M) \\ F_{sig}(\Delta M) &= N \cdot (f_1 \cdot G(\Delta M, \Delta_1, \Gamma_1) + (1 - f_1) \cdot (f_2 \cdot G(\Delta M, \Delta_2, \Gamma_2) + (1 - f_2) \cdot G(\Delta M, \Delta_3, \Gamma_2))). \end{aligned} \quad (7)$$

In these equations, Γ_1 and Γ_2 are the widths of B_1 and B_2^* , f_1 is the fraction of B_1 contained in the B_J signal and f_2 is the fraction of $B_2^* \rightarrow B^* \pi$ decay in B_2^{*0} signal. The parameter N gives the total number of observed $B_J \rightarrow B^{+(*)} \pi$ decays. The background $F_{back}(\Delta M)$ was parameterized by a fourth-order polynomial.

The function $G(x, x_0, \Gamma)$ is the convolution of the relativistic Breit-Wigner function with the experimental resolution in ΔM (parameterized by the double Gaussian function calculated from simulation):

$$G(x, x_0, \Gamma_0) = \frac{1}{N_0} \int Res(\sigma_1, \sigma_2, x', x, S) \cdot \frac{x_0 \Gamma(x)}{(x'^2 - x_0^2)^2 + x_0^2 \Gamma^2(x)} dx' \quad (8)$$

$$Res(\sigma_1, \sigma_2, x, \hat{x}, S) = \frac{1}{\sqrt{2\pi}\sigma_1} \cdot \frac{1}{S+1} \exp\left(\frac{-(x - \hat{x})^2}{2\sigma_1^2}\right) + \frac{1}{\sqrt{2\pi}\sigma_2} \cdot \frac{S}{S+1} \exp\left(\frac{-(x - \hat{x})^2}{2\sigma_2^2}\right) \quad (9)$$

$$N_0 = \int \frac{x_0 \Gamma(x)}{(x^2 - x_0^2)^2 + x_0^2 \Gamma^2(x)} dx \quad (10)$$

$$\Gamma(x) = \Gamma_0 \frac{x_0}{x} \left(\frac{k}{k_0}\right)^{2L+1} F^{(L)}(k, k_0) \quad (L = 2) \quad (11)$$

$$F^{(2)}(k, k_0) = \frac{9 + 3(k_0 r)^2 + (k_0 r)^4}{9 + 3(kr)^2 + (kr)^4} \quad (12)$$

The variables k , k_0 in (11-12) are the magnitude of the pion three-momentum in the B_J rest frame when B_J has a four-momentum-square equal to x^2 and x_0^2 respectively, $F^{(2)}(k, k_0)$ is the Blatt-Weiskopf form factor for $L = 2$ decay [15] and $r = 5 \text{ (GeV/c)}^{-1}$ is a B hadron mass scale. The widths σ_1 and σ_2 , and the scale parameter S , are fixed from the simulation.

All theoretical models predict that the widths Γ_1 and Γ_2 of B_1 and B_2^* are almost equal. Therefore, they were set to be equal in the fit: $\Gamma_1 = \Gamma_2 = \Gamma$. In addition, the mass difference of B^* and B^+ was fixed at the PDG value of

B_J states: systematic errors

TABLE III: Systematic uncertainties of relative B_J production rate

source	$d(B_J)$
Number of B_J events	0.023
Number of B^+ events	0.001
Momentum difference	0.007
Uncertainty in resolution	0.015
π reconstruction efficiency	0.004
Total	0.028

Major contributions:

- Background parametrization
- Fitting range
- Bin widths/position
- Γ free in the fit

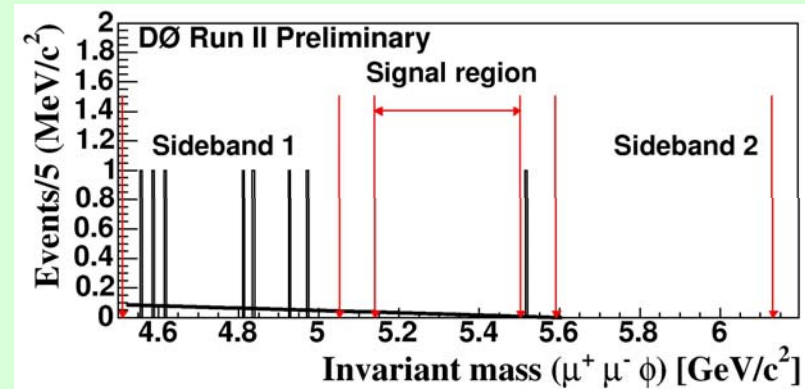
B_{sJ} states: systematic errors

TABLE I: Systematic uncertainties in the B_{s2}^{*0} mass.

source	$\delta M(B_{s2}^{*0})$ (MeV/ c^2)
Fitting Procedure	1.0
Cut on p_T of kaon	1.1
Momentum scale	0.1
Total	1.5

Searches for rare B_s decay (detail)

- Decay channel $B_s \rightarrow \mu^+\mu^-\Phi$ is also an exclusive FCNC decay.
Within the SM, it can only occur through electroweak penguin and box diagrams (decay rate $\sim 1.6 \cdot 10^{-6}$)
- Analysis is very similar to the previous one, the Φ meson is reconstructed through its K^+K^- decay.
- Calculation of the branching fraction limit for $B_s \rightarrow \mu^+\mu^-\Phi$ is done by normalizing with the $B_s \rightarrow J/\Psi \Phi$ signal.
- 1.6 ± 0.4 expected background
0 signal events



→ $Br(B_s \rightarrow \mu^+\mu^-\Phi) \leq 4.1(3.2) \cdot 10^{-6}$ at 95(90)% CL

(assuming $Br(B_s \rightarrow J/\Psi \Phi) = 5.88 \pm 0.1 \%$)

Expected upper limit for rare B decays

Calculation of the sensitivity (= expected upper limit on the Br):

Assuming N_{back} background events, we calculate for each possible value of observations N_{obs} a 95% CL upper limit $\mu(N_{\text{obs}}, N_{\text{back}})$. The average upper limit on the signal events is obtained by weighting each limit from the hypothetical ensemble by its poisson probability of occurrence:

$$\langle \mu(n_{\text{back}}) \rangle = \sum_{n_{\text{obs}}=0}^{\infty} \mu(n_{\text{obs}}, n_{\text{back}}) \cdot \frac{(n_{\text{back}})^{n_{\text{obs}}} \exp(-n_{\text{back}})}{(n_{\text{obs}})!}.$$

To translate this into a 95% CL upper limit on the Br, the number of $B^{\pm} \rightarrow J/\psi(\mu\mu)K^{\pm}$ has been used as normalization, then:

$$\langle \mathcal{B}(B_s^0) \rangle \cdot \left(1 + R \cdot \frac{\epsilon_{\mu\mu}^{B_d^0}}{\epsilon_{\mu\mu}^{B_s^0}} \cdot \frac{b \rightarrow B_d^0}{b \rightarrow B_s^0} \right) = \frac{\langle \mu(n_{\text{back}}) \rangle}{N_{B^{\pm}}} \cdot \frac{\epsilon_{\mu\mu K}}{\epsilon_{\mu\mu}^{B_s^0}} \cdot \frac{b \rightarrow B^{\pm}}{b \rightarrow B_s^0} \cdot \mathcal{B}(B^{\pm} \rightarrow J/\psi K^{\pm}) \cdot \mathcal{B}(J/\psi \rightarrow \mu\mu)$$

B_s lifetime: fitting in detail

Background probability density function, defined for each measured PDDL:

$$\begin{aligned}\mathcal{F}_{bg}^j(\lambda_j, \sigma(\lambda_j)) &= (1 - f_+ - f_{++} - f_-)G(\lambda_j, \sigma(\lambda_j)) \\ &+ f_+ \frac{e^{-\lambda_j/\lambda^+}}{\lambda^+} + f_{++} \frac{e^{-\lambda_j/\lambda^{++}}}{\lambda^{++}} \quad (\lambda_j \geq 0) \\ &+ f_- \frac{e^{\lambda_j/\lambda^-}}{\lambda^-} \quad (\lambda_j < 0),\end{aligned}$$

f fractions of events in the exponential decays with positive-long, positive-short, negative-long, negative-short PDDL. λ : slope of exponential decays.

Signal probability distribution function:

$$\mathcal{F}_{sig}^j(\lambda_j, \sigma(\lambda_j), s_1) = \int dK \mathcal{H}(K) \left[\frac{K}{c\tau(B_s^0)} e^{-K\lambda_j/c\tau(B_s^0)} \otimes \mathcal{G}(\lambda_j, \sigma(\lambda_j), s_1) \right],$$

Analysis of $\Delta\Gamma/\Gamma$: signal parametrization

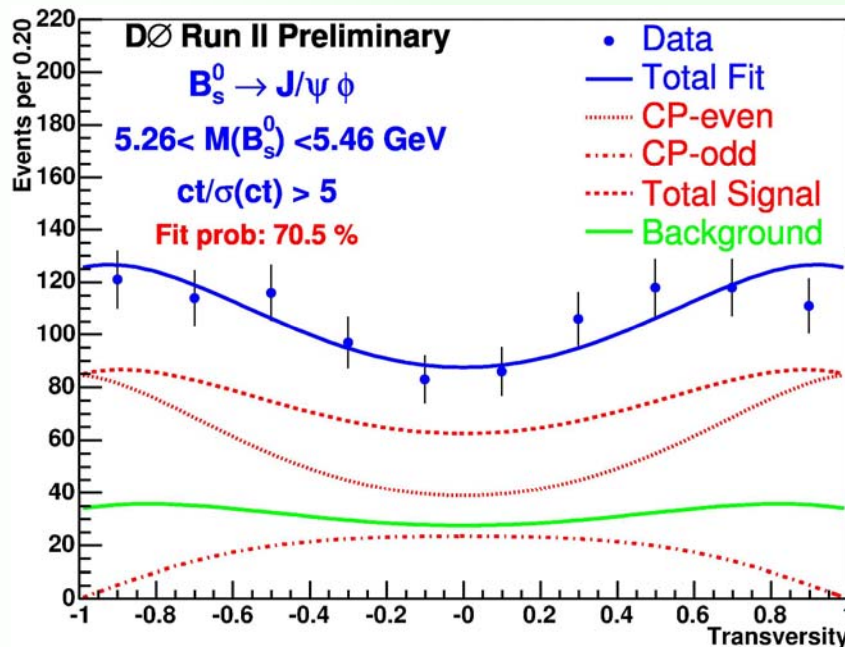
In transversity basis:

$$\begin{aligned} \frac{d^3\Gamma(t)}{d\cos\theta\,d\varphi\,d\cos\psi} &\propto 2|A_0(0)|^2 e^{-\Gamma_L t} \cos^2\psi (1 - \sin^2\theta \cos^2\varphi) \\ &+ \sin^2\psi \{ |A_{\parallel}(0)|^2 e^{-\Gamma_L t} (1 - \sin^2\theta \sin^2\varphi) + |A_{\perp}(0)|^2 e^{-\Gamma_H t} \sin^2\theta \} \\ &+ \frac{1}{\sqrt{2}} \sin 2\psi |A_0(0)| |A_{\parallel}(0)| \cos(\delta_2 - \delta_1) e^{-\Gamma_L t} \sin^2\theta \sin 2\varphi \\ &+ \left\{ \frac{1}{\sqrt{2}} |A_0(0)| |A_{\perp}(0)| \cos\delta_2 \sin 2\psi \sin 2\theta \cos\varphi \right. \\ &\left. - |A_{\parallel}(0)| |A_{\perp}(0)| \cos\delta_1 \sin^2\psi \sin 2\theta \sin\varphi \right\} \frac{1}{2} (e^{-\Gamma_H t} - e^{-\Gamma_L t}) \delta\phi . \end{aligned}$$

In the J/Ψ restframe, **transversity polar and azimuthal angles (θ, φ)** describes direction of the μ^+ , and Ψ is the angle between the K^+ direction and $-J/\Psi$ direction in the Φ meson rest frame. The quantity $\delta\Phi$ (about 0.03 in the SM) is a CP-violating weak phase due to interference effects between mixing and decay.

Analysis of $\Delta\Gamma/\Gamma$: Transversity angle

Transversity angle from the fit projection:



0.8 fb^{-1}

Measurement of $\text{Br}(B_s^0 \rightarrow D_s^{(*)} D_s^{(*)})$

- Motivation : $B_s^0 \rightarrow D_s^{(*)} D_s^{(*)}$ decay predominantly CP even and

$$2\text{Br}(B_s^0 \rightarrow D_s^{(*)} D_s^{(*)}) \approx \frac{\Delta\Gamma}{\Gamma \cos\phi} (1 + O(\frac{\Delta\Gamma}{\Gamma}))$$

where $D_s^{(*)} = \{D_s, D_s^*\}$, one $D_s \rightarrow \Phi\pi$ and the other $D_s \rightarrow \Phi\pi\mu$.

Selection of a μD_s sample with $D_s \rightarrow \Phi\pi$ and with an additional Φ meson $\rightarrow \mu\Phi D_s$ sample:

Using an unbinned likelihood fit and an estimate of background (combinatorial + physical processes) D0 derives the number of signal events:

$$N(\mu D_s) = 15225 \pm 310 \text{ and } N(\mu\Phi D_s) = 19.34 \pm 7.85$$

From the knowledge of $\text{Br}(D_s \rightarrow \Phi\mu\nu)$, $\text{Br}(B_s^0 \rightarrow \mu\nu D_s^{(*)})$, the new Babar $\text{Br}(D_s \rightarrow \Phi\pi)$ and a ratio of efficiencies, one obtains:

$$\text{Br}(B_s^0 \rightarrow D_s^{(*)} D_s^{(*)}) = 0.071 \pm 0.035(\text{stat})^{+0.029}_{-0.025}(\text{sys})$$

$$\text{Then : } \Delta\Gamma_{\text{CP}}/\Gamma(B_s^0) = 0.142 \pm 0.064(\text{stat})^{+0.058}_{-0.050}(\text{sys})$$

